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CLIMATE IMPACT RESEARCH

Physics of the ocean boundary layer below ice shelves: the relationship between modeling and observations

Xylar Asay-Davis

OASIIS Workshop, 15 June 2017



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More observations like Tim Stanton's, please!

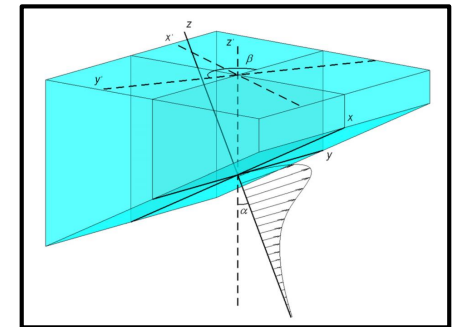
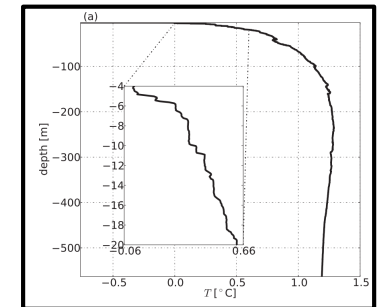
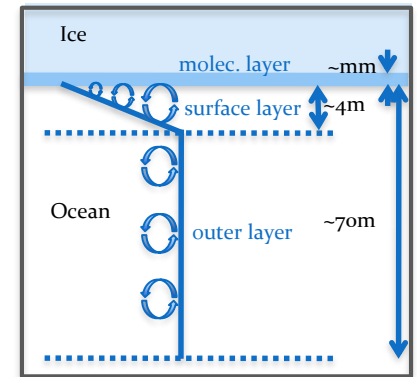
**~~Physics of the ocean boundary layer below ice shelves:
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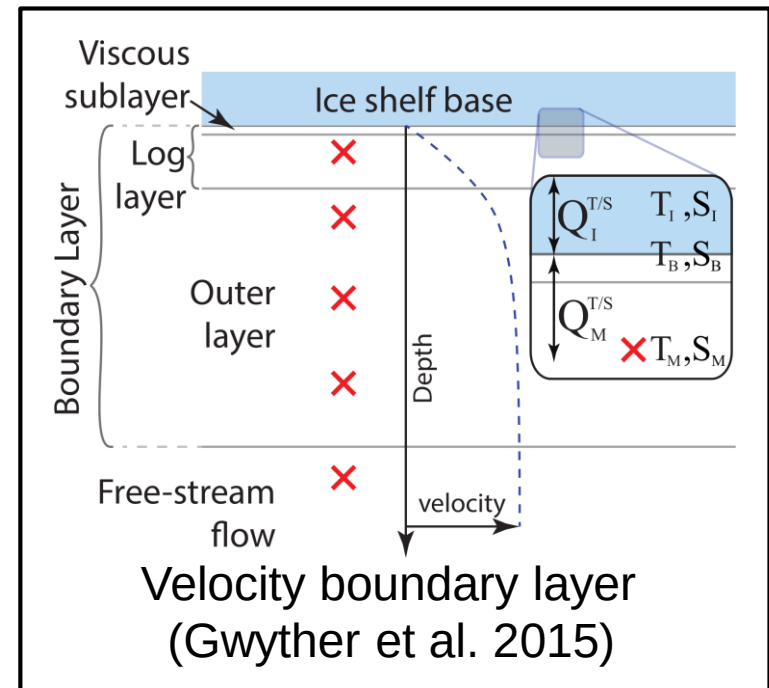
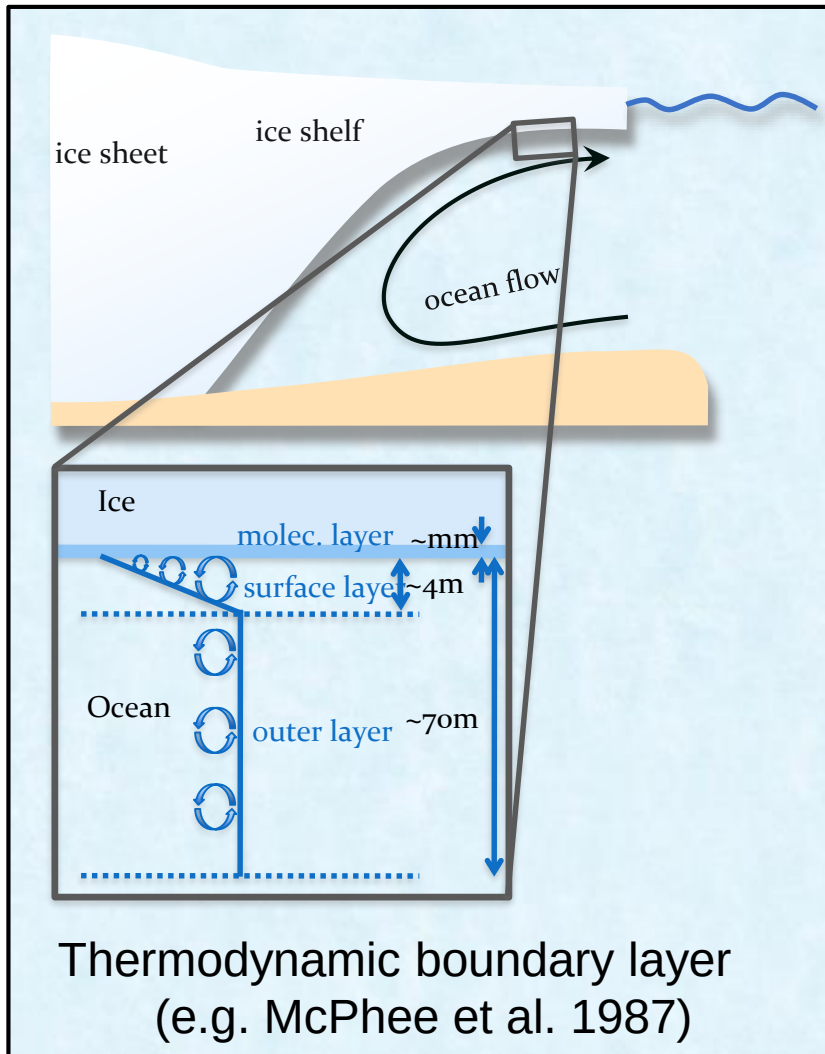
OASIIS Workshop, 15 June 2017

Outline

- Observations and theory behind boundary-layer parameterizations used in ocean models
- Observations, theory and modeling suggesting need for new parameterizations
- Components of an improved boundary-layer parameterization
- New observations needed to better constrain parameterizations



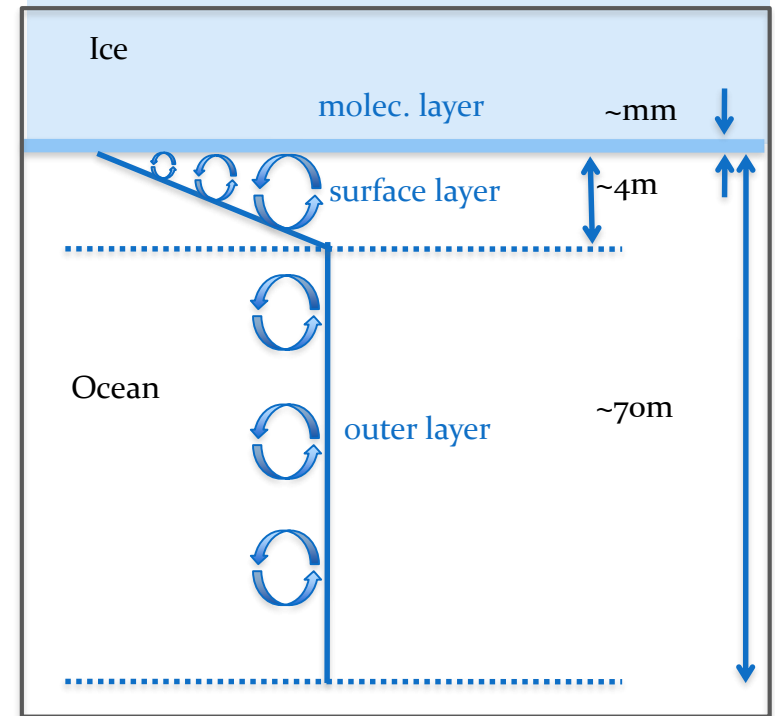
Theory and modeling of the boundary layer (BL)



- Surface roughness, molecular diffusivities dominant in surface layer
- Turbulence (therefore eddy viscosity/diffusivities) dominant in outer layer

Theory: McPhee et al. 1987

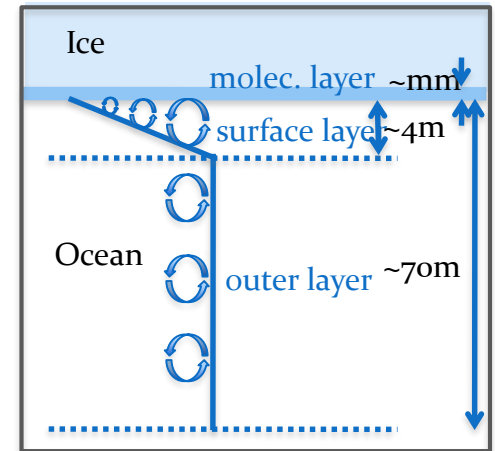
- Applied to sea ice (not ice shelves)
- 1D vertical model



McPhee, M. G., Maykut, G. A., & Morison, J. H. (1987). Dynamics and Thermodynamics of the Ice/Upper Ocean System in the Marginal Ice Zone of the Greenland Sea. *Journal of Geophysical Research*, 92(C7), 7017–7031.

Theory: McPhee et al. 1987

- Constant heat, salt flux through BL



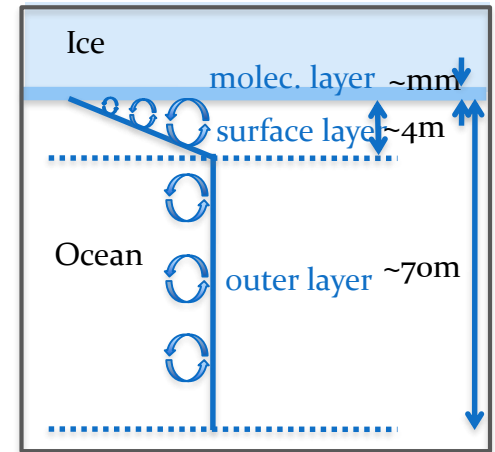
$$\langle w'T' \rangle_0 = wQ_L = -K_h \frac{\partial T}{\partial z} \quad (1)$$

$$\langle w'S' \rangle_0 = w(S_w - S_i) = -K_s \frac{\partial S}{\partial z} \quad (2)$$

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Theory: McPhee et al. 1987

- Constant heat, salt flux through BL
- Diffusivities $K_h(z)$ and $K_s(z)$ vary with space:
 - Weak, molec. diffusion in molec. Layer
 - Transition to turbulence in surface layer
 - Fully turbulent mixing in outer layer



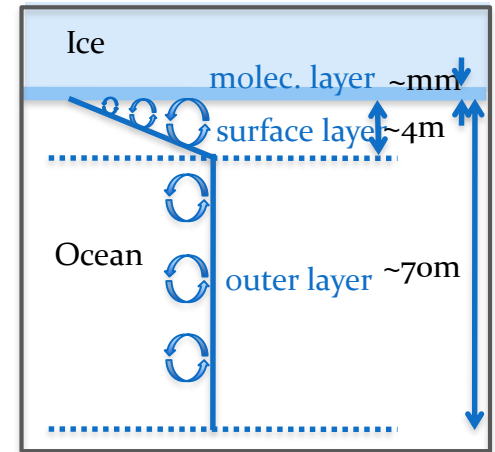
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Theory: McPhee et al. 1987

- Vertically integrate to get 2 of the 3 boundary conditions
- 3rd boundary condition is freezing point



$$\rho_i a_b L_i = \rho_i c_i \kappa_i \left. \frac{\partial T_i}{\partial z} \right|_b - \rho_w c_w u_* \Gamma_T [T_f(S_b, P_b) - T_w],$$

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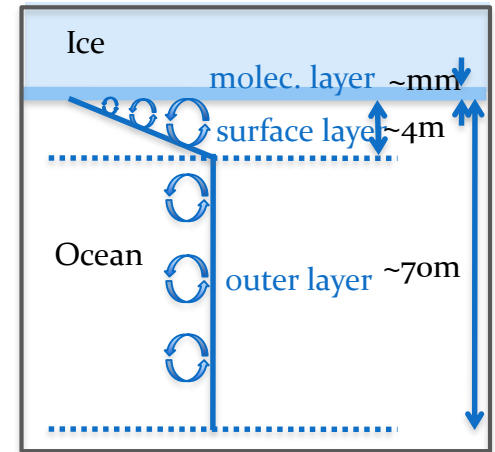
$$T_f = \lambda_1 S + \lambda_2 + \lambda_3 P.$$

“Three equations” using notation from Jenkins et al. (2010)

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Theory: McPhee et al. 1987

- Vertically integrate to get 2 of the 3 boundary conditions
- 3rd boundary condition is freezing point
- Heat and salt transfer coeffs. $\Gamma_T(z_w)$ and $\Gamma_S(z_w)$
 - Parameterize transfer across BL
 - Functions of $K_h(z)$ and $K_s(z)$
 - Asymptote to constants as $z_w \rightarrow \infty$
- Similarly for drag coeff. $C_D(z_w)$



$$\rho_i a_b L_i = \rho_i c_i \kappa_i \left. \frac{\partial T_i}{\partial z} \right|_b - \rho_w c_w u_* \Gamma_T [T_f(S_b, P_b) - T_w],$$

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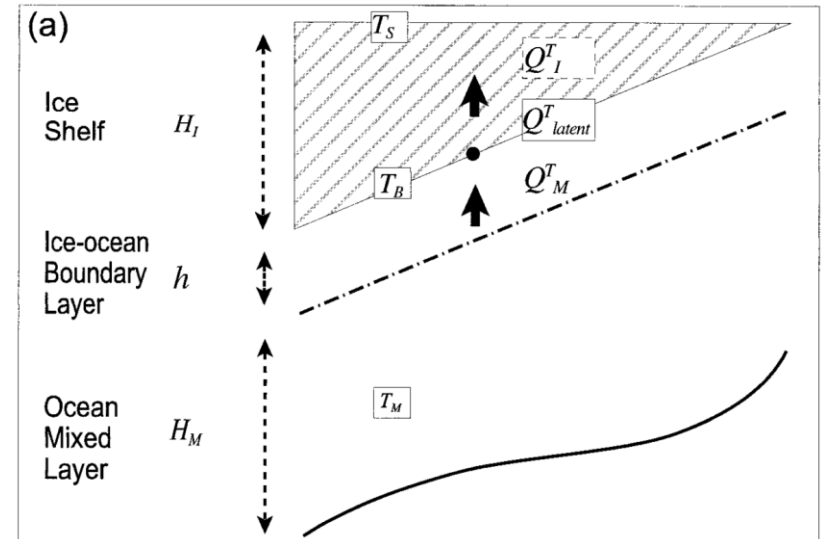
$$u_*^2 = C_d U^2,$$

Quadratic drag law using notation from Jenkins et al. (2010)

McPhee, M. G., Maykut, G. A., & Morison, J. H. (1987). Dynamics and Thermodynamics of the Ice/Upper Ocean System in the Marginal Ice Zone of the Greenland Sea. *Journal of Geophysical Research*, 92(C7), 7017–7031.

Modeling: Holland and Jenkins (1999)

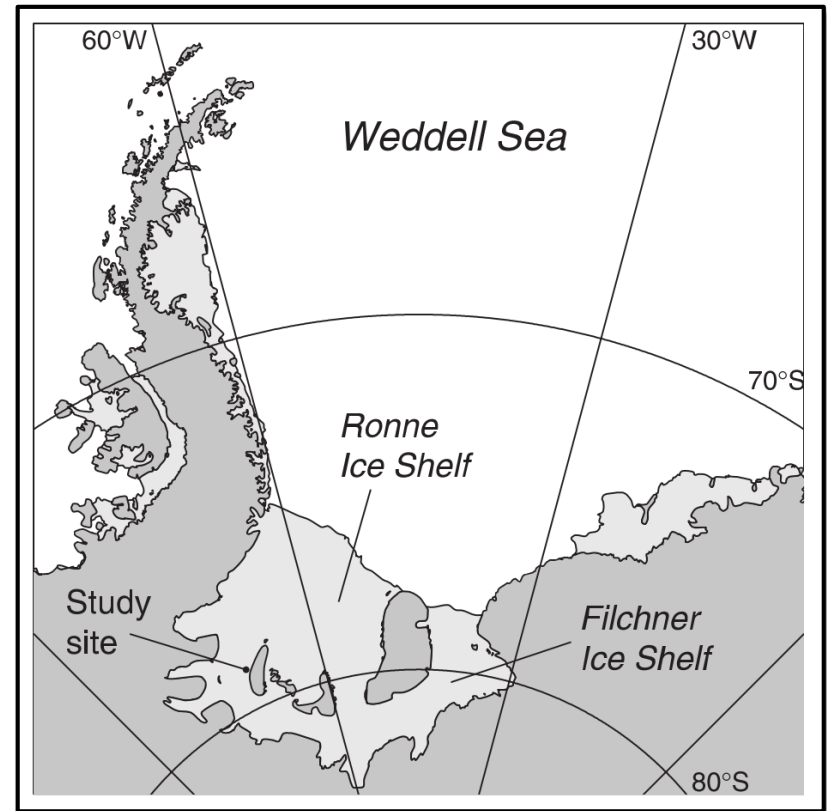
- Applied McPhee et al. (1987) to ice shelves
- Currently most common BL parameterization in ocean models with ice-shelf cavities



Holland, D. M., & Jenkins, A. (1999). Modeling Thermodynamic Ice–Ocean Interactions at the Base of an Ice Shelf. *Journal of Physical Oceanography*, 29(8), 1787–1800.

Observations: Nicholls et al. (1997); Corr et al. (2002)

- “Site 3” on Ronne Ice Shelf

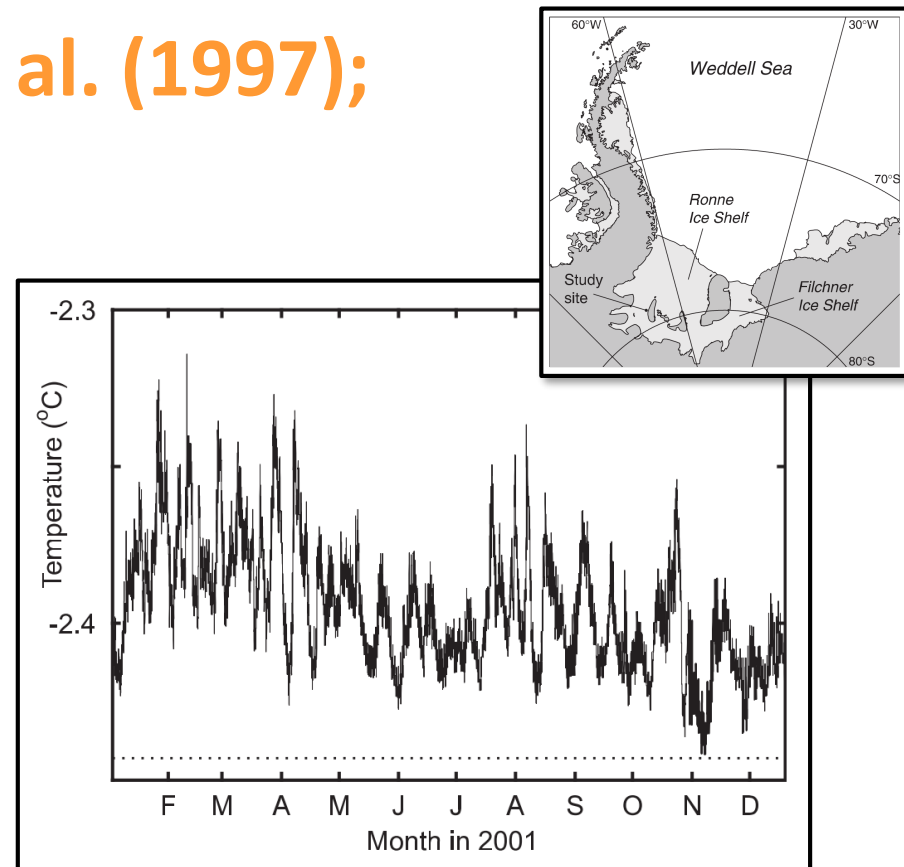


Nicholls et al. (1997). New oceanographic data from beneath Ronne Ice Shelf, Antarctica. *GRL*, 24(2), 167.
Corr et al. (2002). Precise measurement of changes in ice-shelf thickness by phase-sensitive radar to determine basal melt rates. *GRL*, 29(8), 73-1-74-4.

Figures from Jenkins et al. (2010)

Observations: Nicholls et al. (1997); Corr et al. (2002)

- “Site 3” on Ronne Ice Shelf
- Long CTD time series of T, S and $|u|$ at various depths



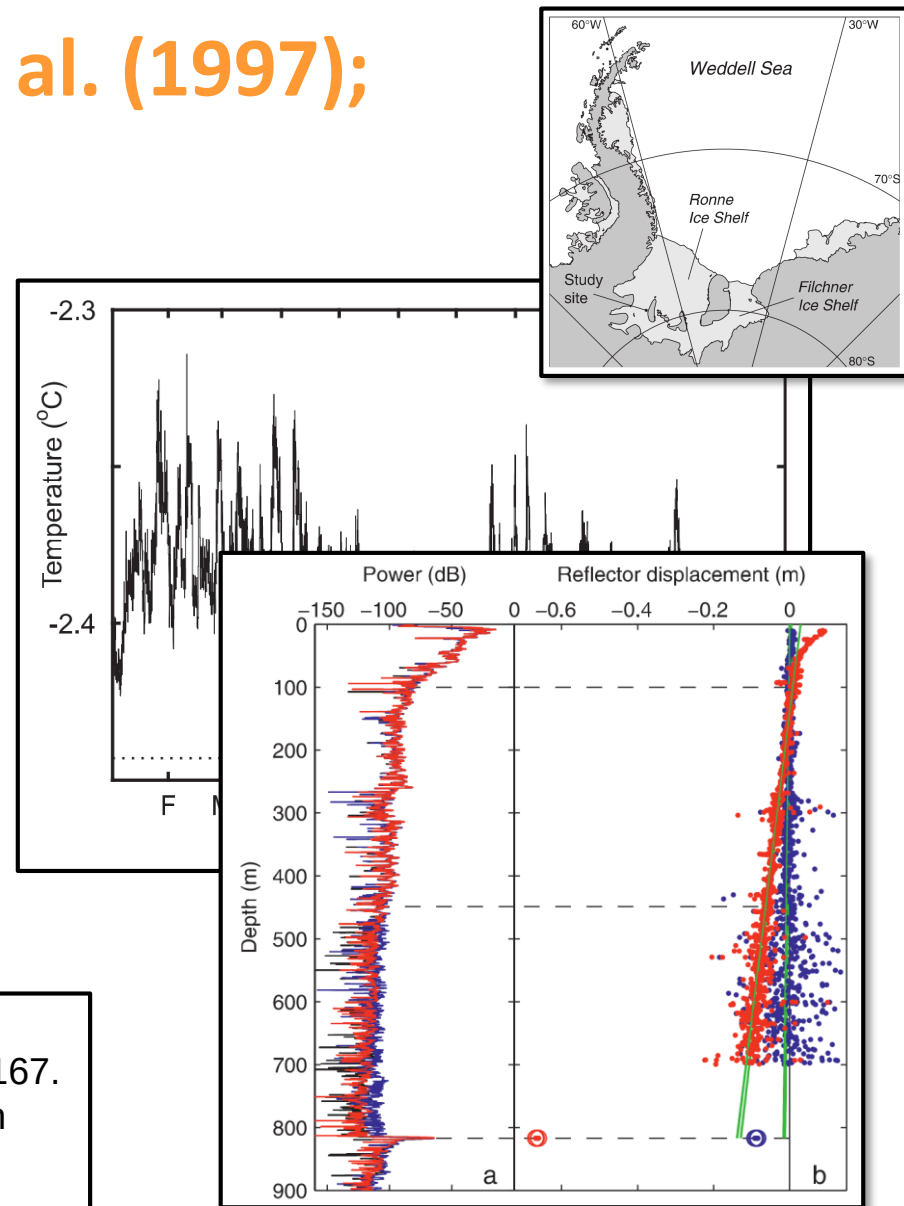
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Figures from Jenkins et al. (2010)

Observations: Nicholls et al. (1997); Corr et al. (2002)

- “Site 3” on Ronne Ice Shelf
- Long CTD time series of T, S and $|u|$ at various depths
- Concurrent radar measurements of ice layers
 - Inferred mean melt rates

Nicholls et al. (1997). New oceanographic data from beneath Ronne Ice Shelf, Antarctica. GRL, 24(2), 167.
Corr et al. (2002). Precise measurement of changes in ice-shelf thickness by phase-sensitive radar to determine basal melt rates. GRL, 29(8), 73-1-74-4.



Figures from Jenkins et al. (2010)

Model fit: Jenkins et al. (2010)

- **Found Best-fit parameters for Site 3**

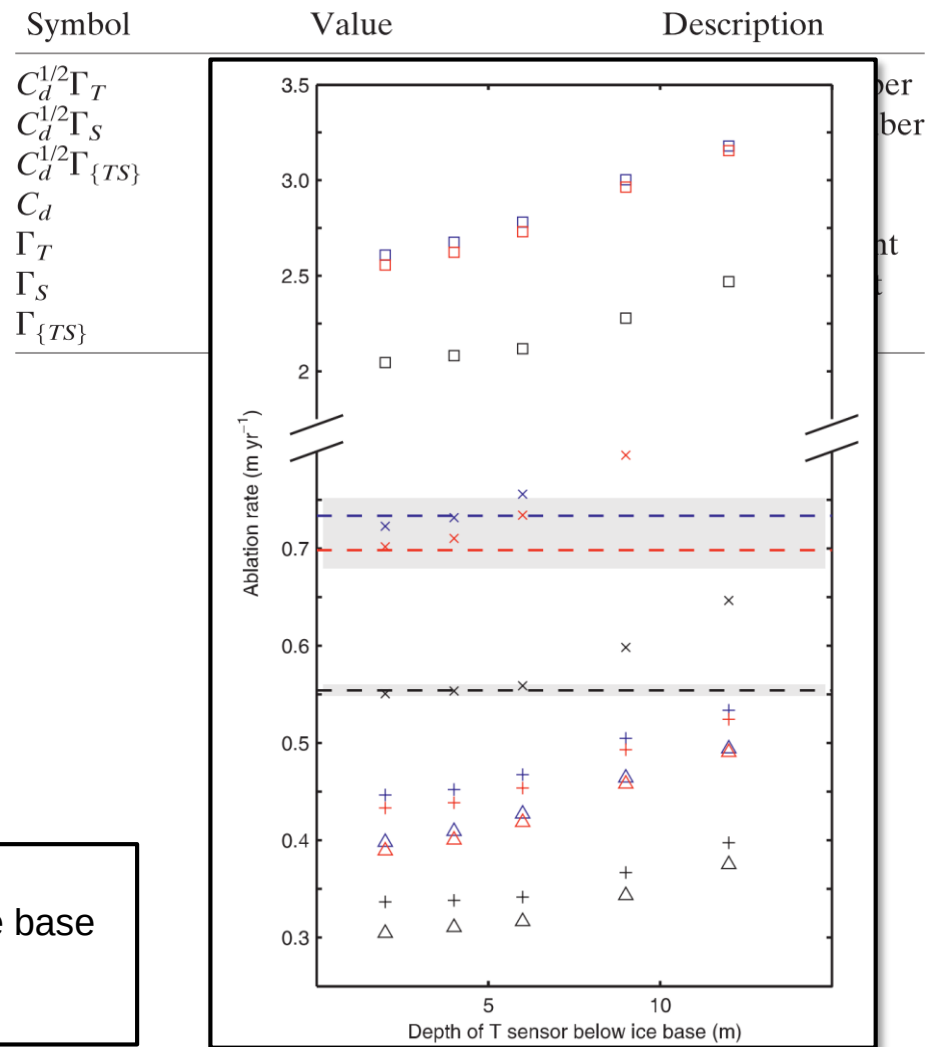
Symbol	Value	Description
$C_d^{1/2}\Gamma_T$	0.0011	Thermal Stanton number
$C_d^{1/2}\Gamma_S$	3.1×10^{-5}	Diffusion Stanton number
$C_d^{1/2}\Gamma_{\{TS\}}$	5.9×10^{-4}	Stanton number
C_d	0.0097	Drag coefficient
Γ_T	0.011	Heat transfer coefficient
Γ_S	3.1×10^{-4}	Salt transfer coefficient
$\Gamma_{\{TS\}}$	0.006	Transfer coefficient

Jenkins, A., Nicholls, K. W., & Corr, H. F. J. (2010). Observation and parameterization of ablation at the base of Ronne Ice Shelf, Antarctica. *Journal of Physical Oceanography*, 40(10), 2298–2312.



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- **Found Best-fit parameters for Site 3**
- **Showed McPhee et al. (1987) consistent with Ronne Site 3 observations**

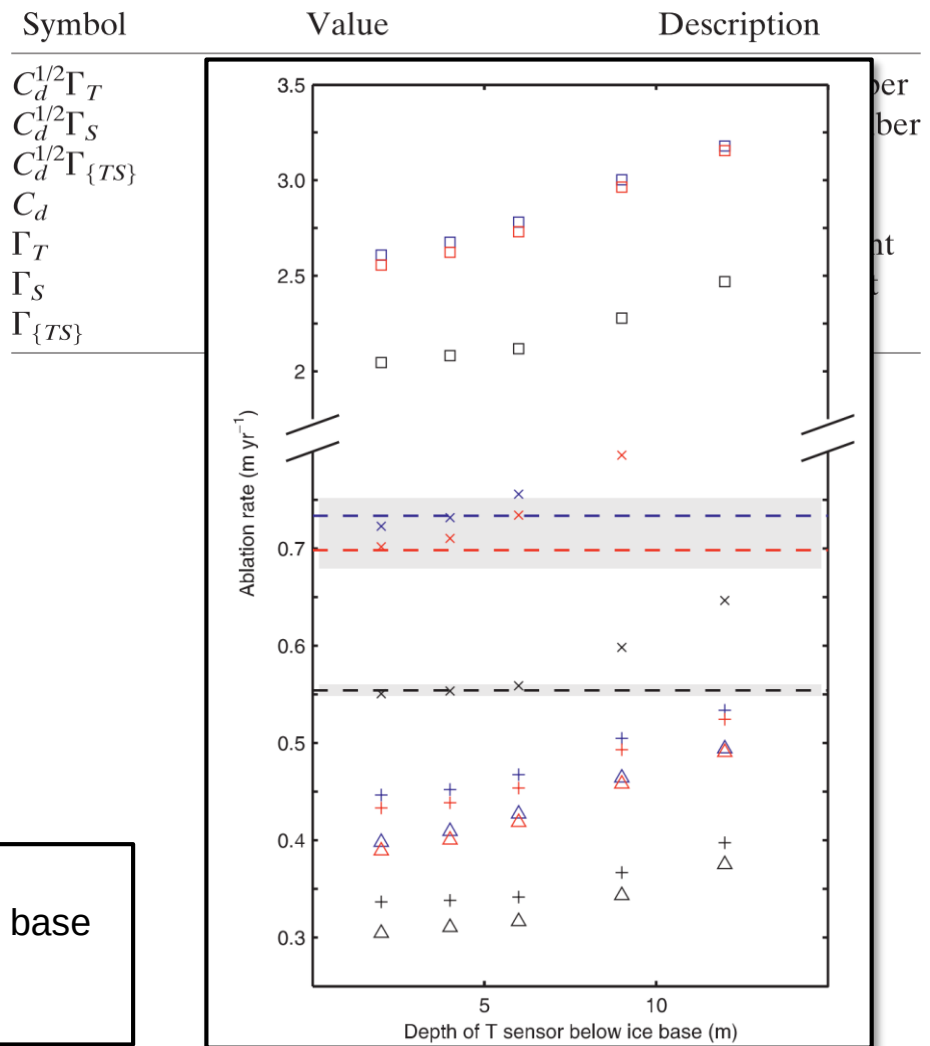


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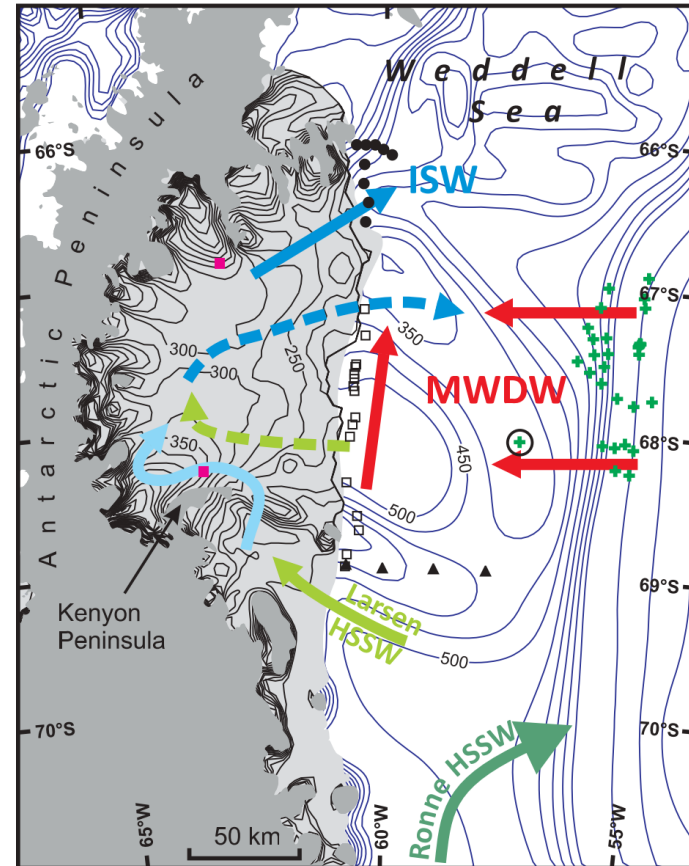
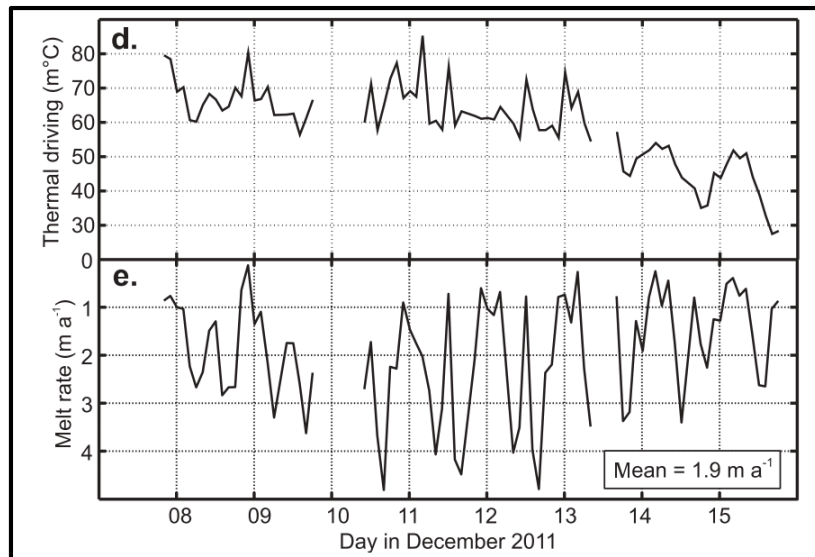
- **Found Best-fit parameters for Site 3**
- **Showed McPhee et al. (1987) consistent with Ronne Site 3 observations**
- **Indicate that best-fit Γ_T , Γ_s and C_D vary with z_w**
 Γ_T , Γ_s - transfer coefficients
 C_D - drag coefficient
 z_w - depth of CTD or grid cell

Jenkins, A., Nicholls, K. W., & Corr, H. F. J. (2010). Observation and parameterization of ablation at the base of Ronne Ice Shelf, Antarctica. *Journal of Physical Oceanography*, 40(10), 2298–2312.



Observations: Nicholls et al. (2012)

- Larsen C
- CTD, ADCP and pRes
- Best fit like Jenkins et al. (2010)

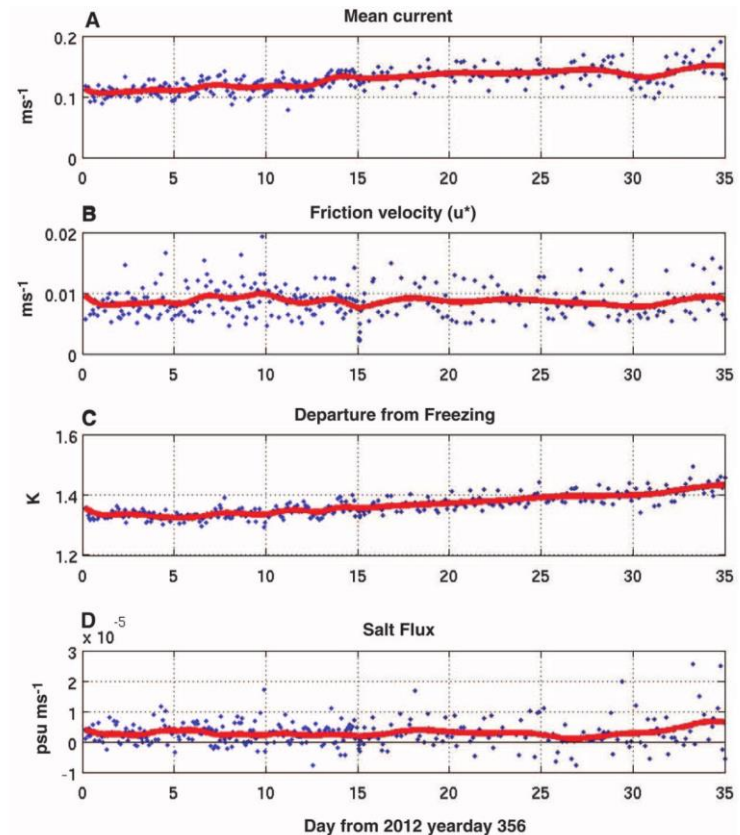


Nicholls et al. (2012). Ocean circulation beneath Larsen C Ice Shelf, Antarctica from in situ observations. *Geophysical Research Letters*, 39(19), L19608.

Observations: Stanton et al. (2013)

- We heard al about it yesterday
- PIG
- CTD
- 4Hz flux package (u, v, w, T, p, S)
 - Turb. heat, salt and mom. fluxes
- Acoustic backscatter (melt measurements)
- pRes (more melt measurements)
- Comparison with parameterizations in progress

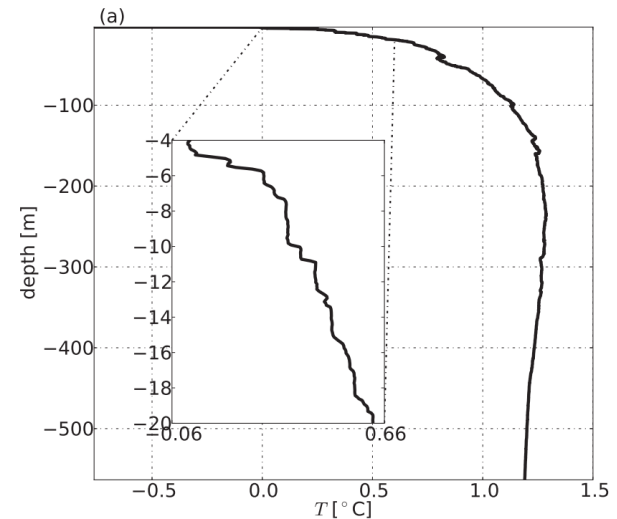
Stanton et al. (2013). Channelized ice melting in the ocean boundary layer beneath Pine Island Glacier, Antarctica. Science (New York, N.Y.), 341(6151), 1236–9.



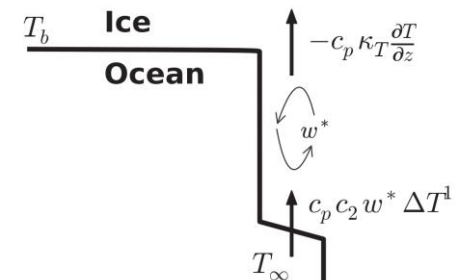
Theory/Obs: Kimura et al. (2015)

- Thermal staircase under George VI
- Outer layer isn't uniformly turbulent
- Instead, diffusive convection
 - Double diffusion
 - Freshening from melt is stabilizing
 - Cooling from melt is destabilizing
 - Alternating stable, unstable regions
- New parameterizations likely needed

Kimura, S., Nicholls, K. W., & Venables, E. (2015). Estimation of Ice Shelf Melt Rate in the Presence of a Thermohaline Staircase. *Journal of Physical Oceanography*, 45(1), 133–148.



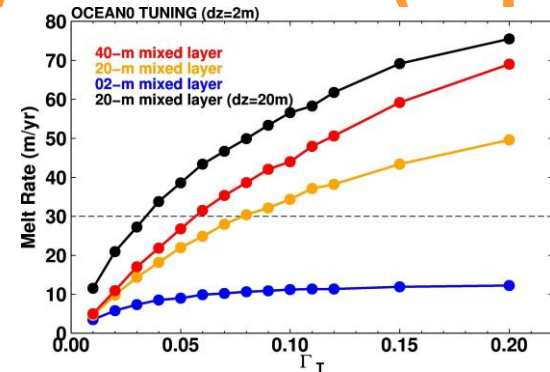
Observations



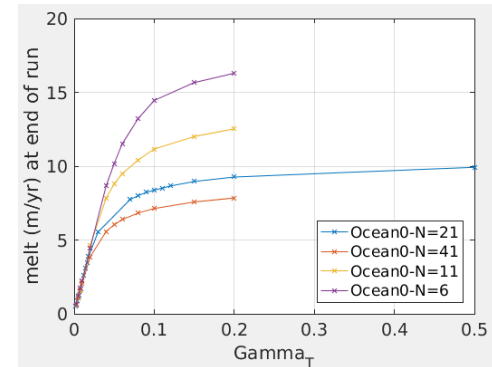
Theory

Model Intercomparison: Gwyther et al. (in prep.)

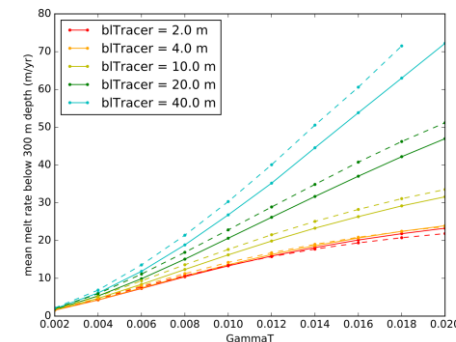
- Simulations using the ISOMIP+ framework (Asay-Davis et al. 2016)
- ROMS and COCO melt rates do not converge with vert. resolution
- MPAS-O, POP2x and NEMO melt rates converge only if BL thickness held fixed (arbitrary length scale)



COCO



ROMS

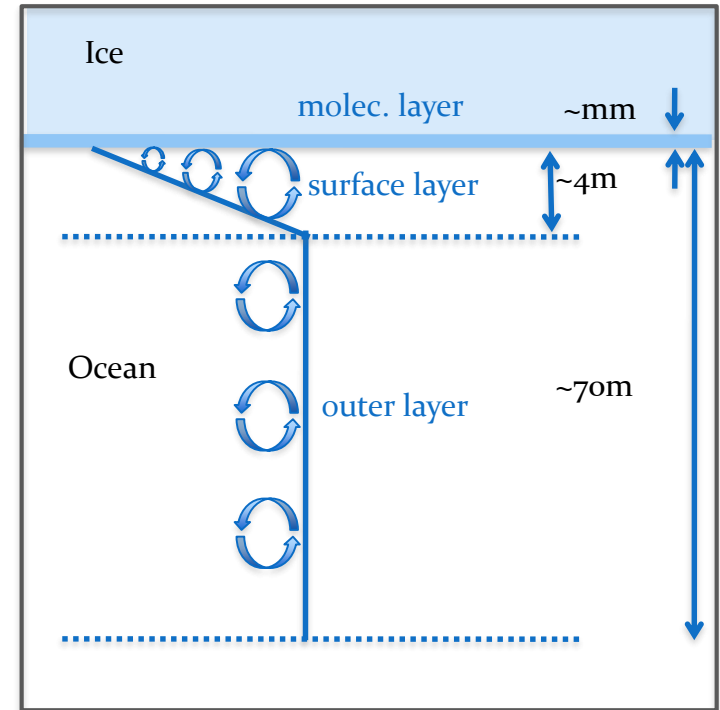


MPAS-O

Gwyther et al. (in prep.) The importance of vertical processes and resolution on basal melt of an ice shelf: a multi-model study within the ISOMIP+ framework. Asay-Davis et al. (2016). Experimental design for three interrelated marine ice sheet and ocean model intercomparison projects: MISIP v. 3 (MISIP+), ISOMIP v. 2 (ISOMIP+) and MISOMIP v. 1 (MISOMIP1). Geoscientific Model Development, 9(7), 2471–2497.

Need better BL parameterizations: convergence

- Ocean models sample T_w , S_w and u_w at depth z_w below ice-ocean interface



$$\rho_i a_b L_i = \rho_i c_i \kappa_i \left. \frac{\partial T_i}{\partial z} \right|_b - \rho_w c_w u_* \Gamma_T [T_f(S_b, P_b) - T_w],$$

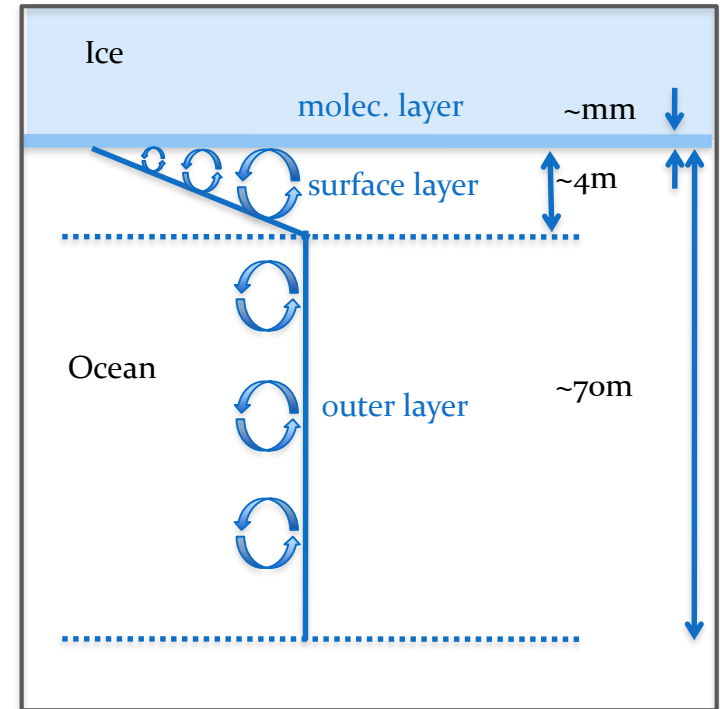
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“Three equations” using notation from Jenkins et al. (2010)

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- To converge with vertical resolution, ocean models should:
 - Have consistent diffusion coeffs. $K_h(z)$ and $K_s(z)$ in resolved and parameterized BL



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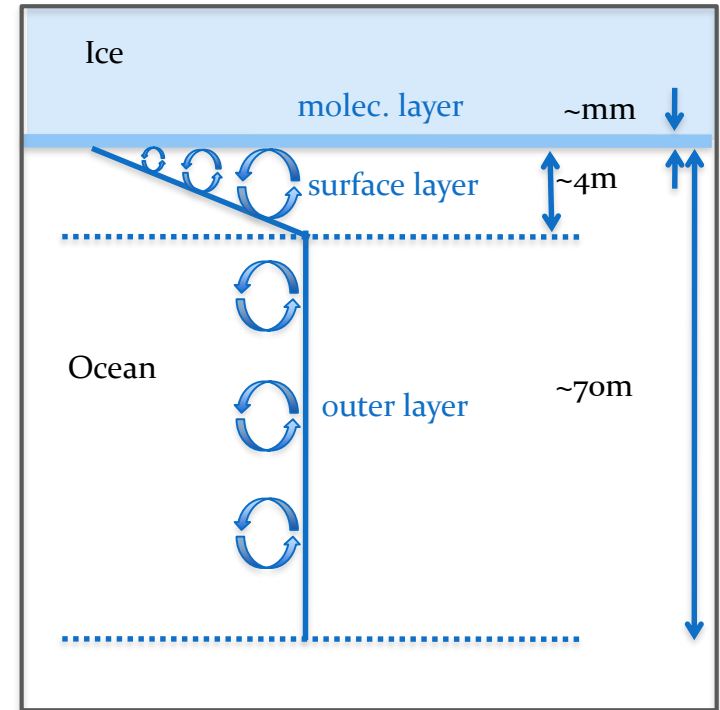
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 - Use transfer coeffs. $\Gamma_T(z_w)$ and $\Gamma_S(z_w)$ that depend on $K_h(z)$ and $K_s(z)$



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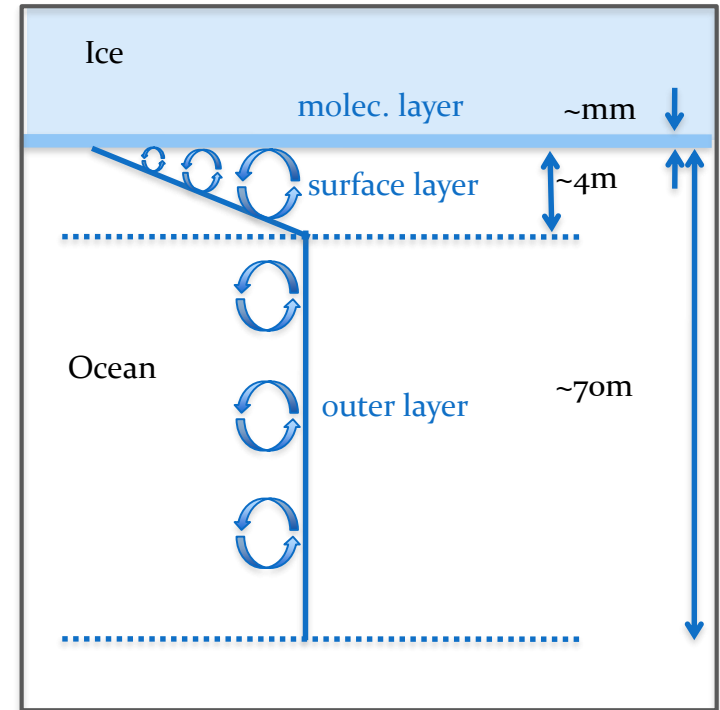
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 - Use transfer coeffs. $\Gamma_T(z_w)$ and $\Gamma_S(z_w)$ that depend on $K_h(z)$ and $K_s(z)$
 - Use a z-dependent drag coeff: $u_*^2 = C_D(z_w) |u_w|^2$



$$\rho_i a_b L_i = \rho_i c_i \kappa_i \left. \frac{\partial T_i}{\partial z} \right|_b - \rho_w c_w u_* \Gamma_T [T_f(S_b, P_b) - T_w],$$

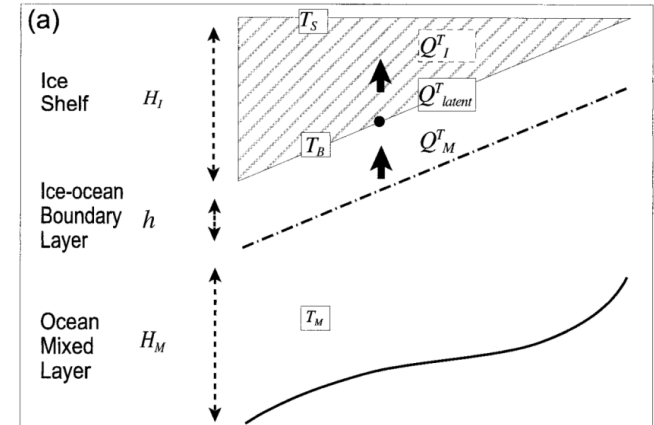
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Need better BL parameterizations: buoyancy

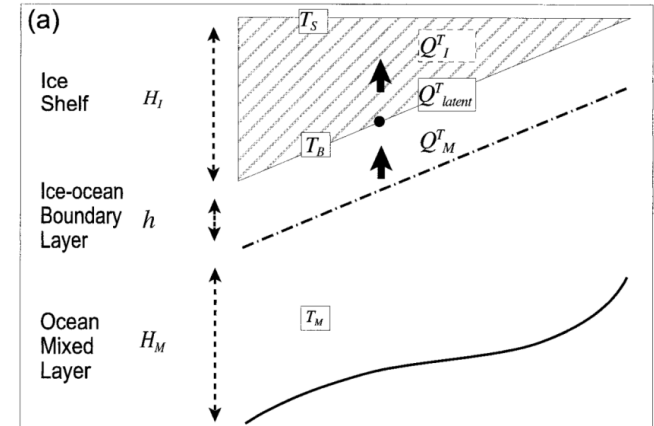
- In current BL params. (McPhee et al. 1987):
 - Buoyancy reduces eddies via “stability parameter” η_* (less mixing in BL)
 - But no buoyancy-driven flow in BL



$$\eta_* = \left(1 + \frac{\xi_N u_*}{f L_O R_c} \right)^{-1/2},$$

Need better BL parameterizations: buoyancy

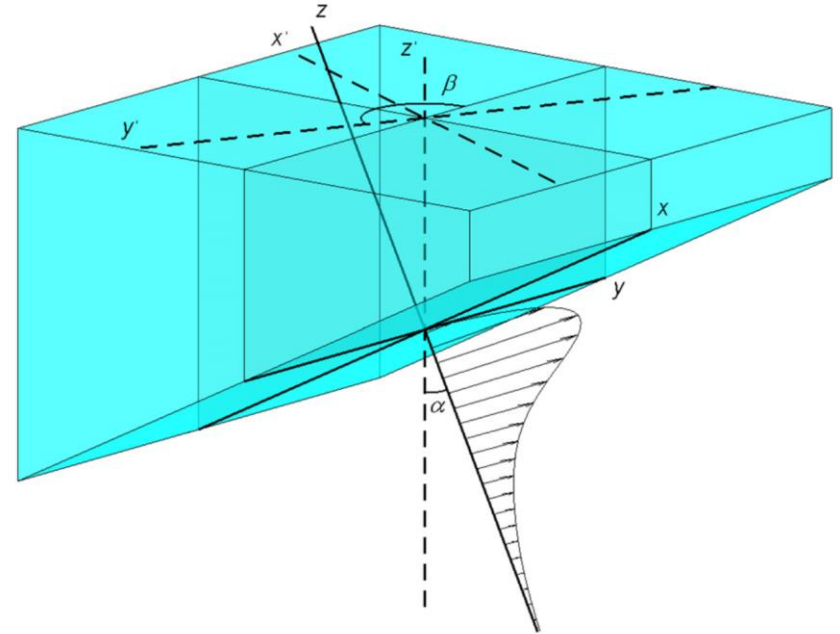
- In current BL params. (McPhee et al. 1987):
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 - But no buoyancy-driven flow in BL
- BL parameterization should include buoyancy-driven boundary current



$$\eta_* = \left(1 + \frac{\xi_N u_*}{f L_O R_c} \right)^{-1/2},$$

Theory: Jenkins (2016)

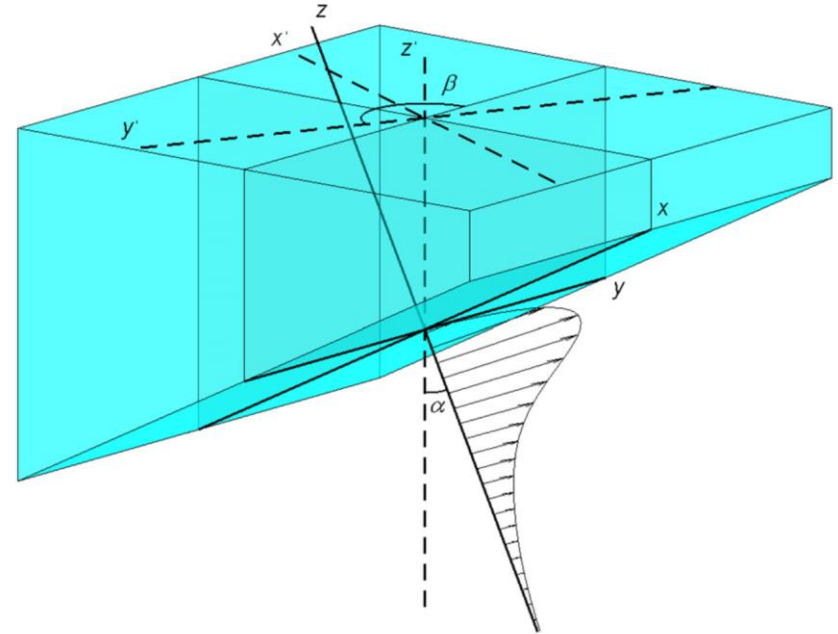
- 1D model but not just vert. diffusion



Jenkins, A. (2016). A Simple Model of the Ice Shelf–Ocean Boundary Layer and Current. *Journal of Physical Oceanography*, 46(6), 1785–1803.

Theory: Jenkins (2016)

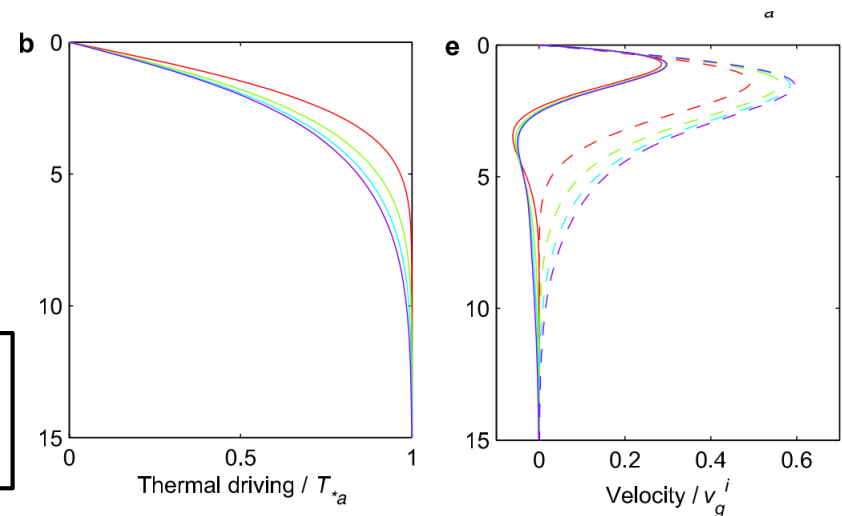
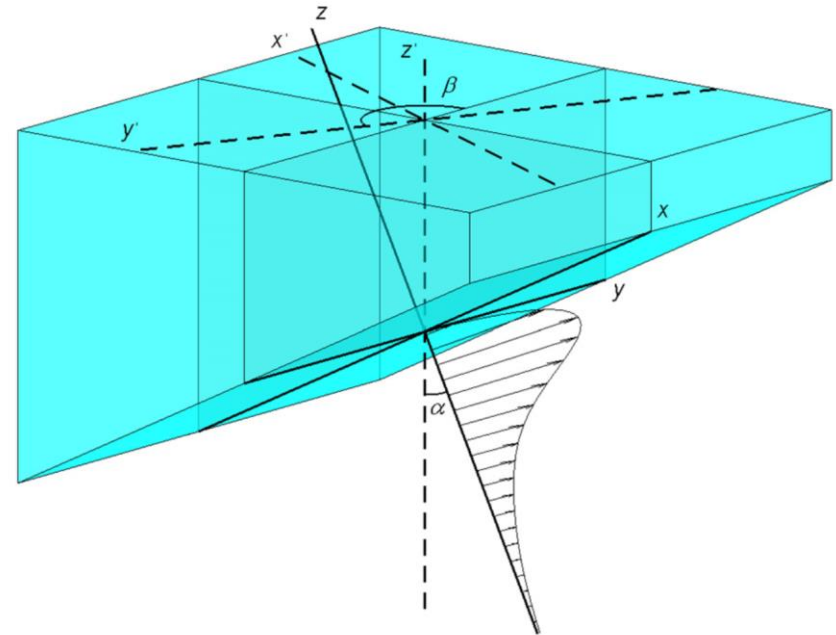
- 1D model but not just vert. diffusion
- Allows along- and across-slope:
 - Gradients (in T , S , u , etc.)
 - Advection



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- Boundary current
 - Inner Ekman boundary layer
 - Outer geostrophic region

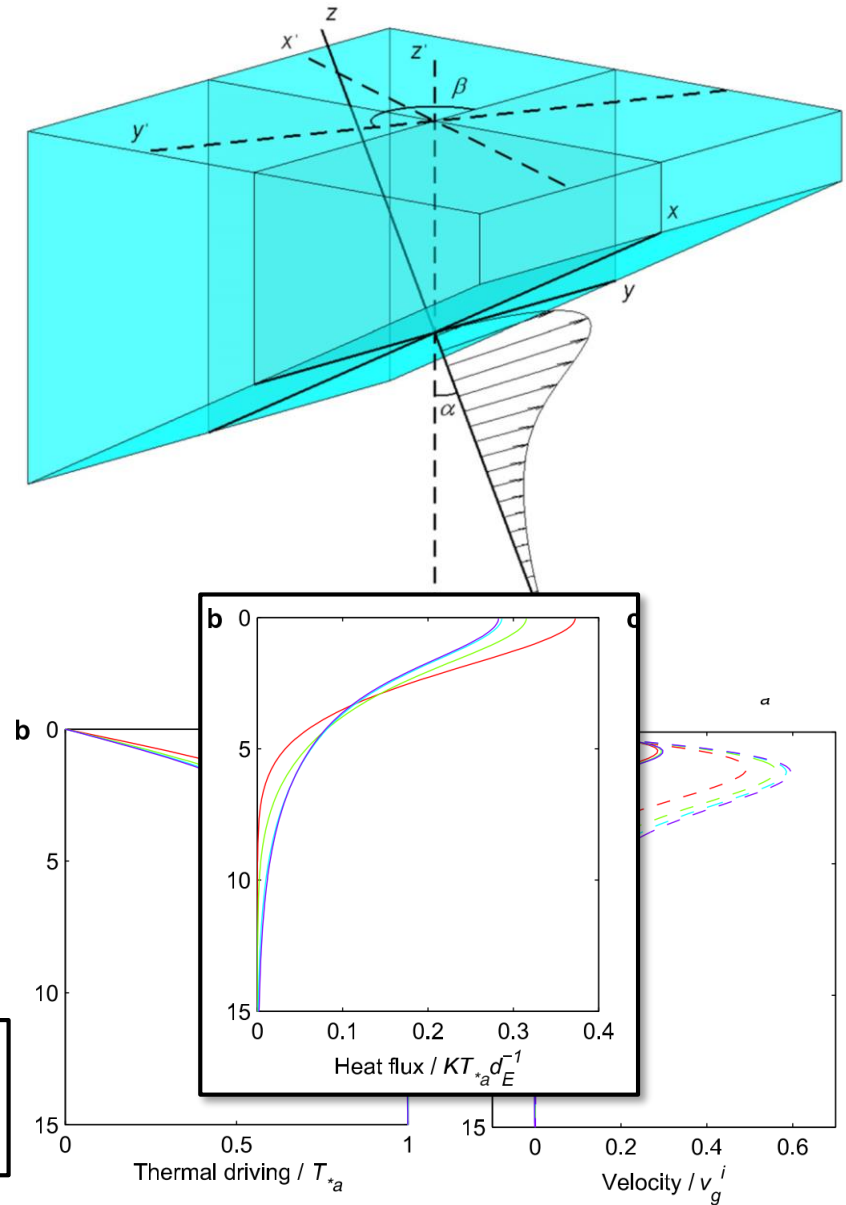


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 - Outer geostrophic region
- Heat flux not const. in BL

Jenkins, A. (2016). A Simple Model of the Ice Shelf–Ocean Boundary Layer and Current. *Journal of Physical Oceanography*, 46(6), 1785–1803.



Promising directions

Theory and Modeling

- Jenkins (2016), but needs theory for non-const. $K_h(z)$
- “Modelling the ice-shelf ocean boundary layer” (Supervised by John Taylor, Paul Holland and Keith Nicholls)
 - Very high resolution simulations
 - Modeling (not parameterizing) boundary-layer processes

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- “Modelling the ice-shelf ocean boundary layer” (Supervised by John Taylor, Paul Holland and Keith Nicholls)
 - Very high resolution simulations
 - Modeling (not parameterizing) boundary-layer processes

Observations

- Tim Stanton’s observations below PIG
- Planned boreholes under FRIS, Ross, Amery... if properly instrumented
- As an end member (e.g. zero slope), similar obs. under sea ice

Summary

- **BL parameterization in sub-ice-shelf ocean models:**
 - Derived for sea ice (no buoyant flow)
 - Not well constrained
 - Likely needs work

Summary

- **BL parameterization in sub-ice-shelf ocean models:**
 - Derived for sea ice (no buoyant flow)
 - Not well constrained
 - Likely needs work
- **Observations needed to:**
 - Differentiate possible parameterizations
 - Constrain parameters
 - Span a range of conditions
 - Warm, cold cavities
 - Melting, freezing (including frazil)
 - All 3 modes of melting

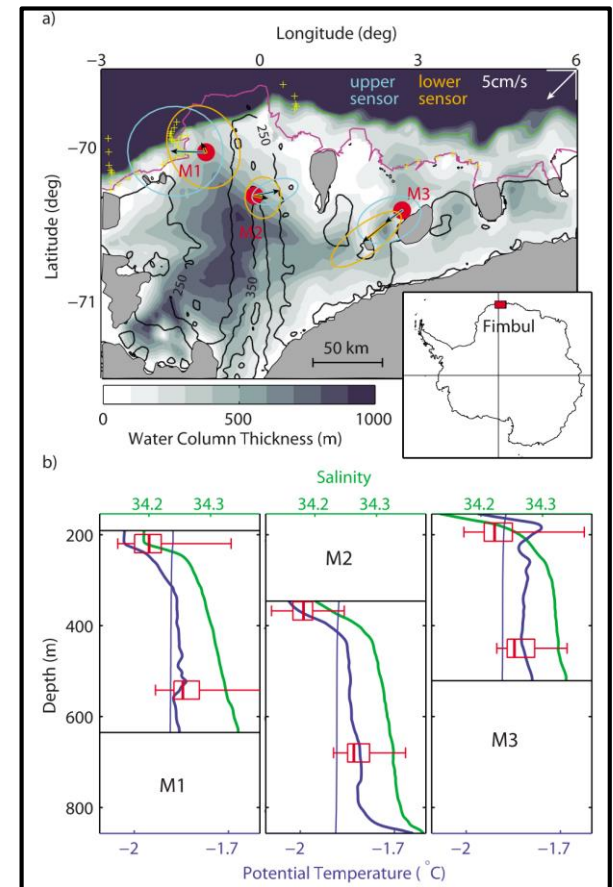
Thank you



Other related observational data sets

- Not yet used to (in)validate melt parameterizations
- Some do not include pRes (or other melt rate) measurements
- Hattermann et al. (2012)
 - Fimbul Ice Shelf
 - CTD (T, S and u)
 - no pRes (no independent melt rates)

Hattermann et al. (2012). Two years of oceanic observations below the Fimbul Ice Shelf, Antarctica. Geophysical Research Letters, 39(12), L12605.



Observations: Herraiz-Borreguero et al. (2013, 2015)

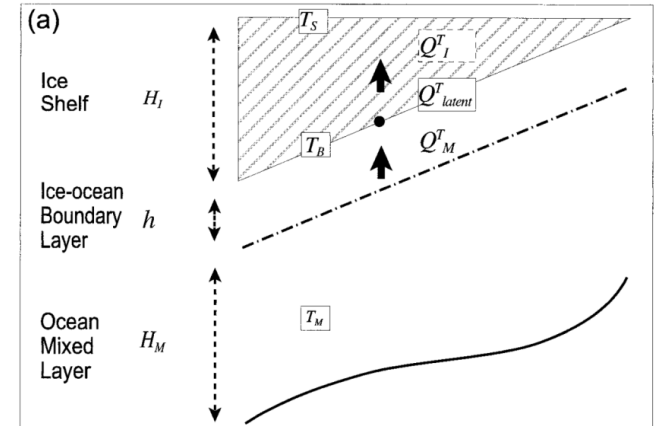
- ...among other papers
- Amery Ice Shelf
- CTD, no pRes

Herraiz-Borreguero et al. (2013). Ice shelf/ocean interactions under the Amery Ice Shelf: Seasonal variability and its effect on marine ice formation. *Journal of Geophysical Research: Oceans*, 118(12), 7117–7131.

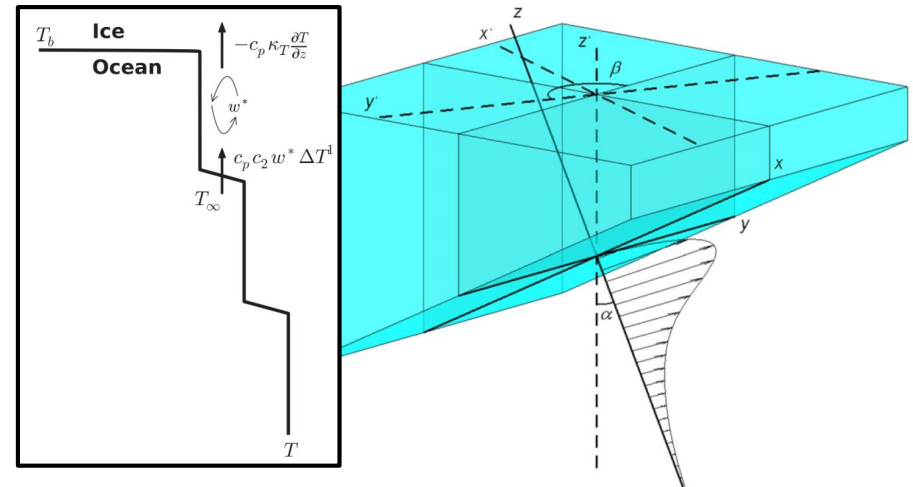
Herraiz-Borreguero et al. (2015). Circulation of modified Circumpolar Deep Water and basal melt beneath the Amery Ice Shelf, East Antarctica. *Journal of Geophysical Research: Oceans*, 120(4), 3098–3112.

Need better BL parameterizations: buoyancy

- In current BL params. (McPhee et al. 1987):
 - Buoyancy reduces eddies via “stability parameter” η_* (less mixing in BL)
 - But no buoyancy-driven flow in BL
- BL parameterization should include buoyancy-driven boundary current (Jenkins 2016)
- Sometimes may need diffusive convection

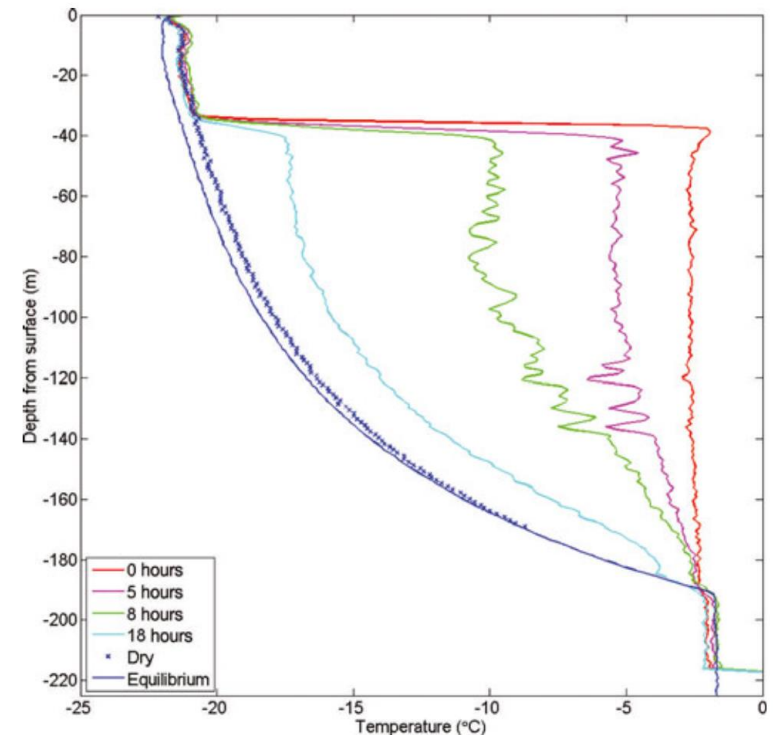
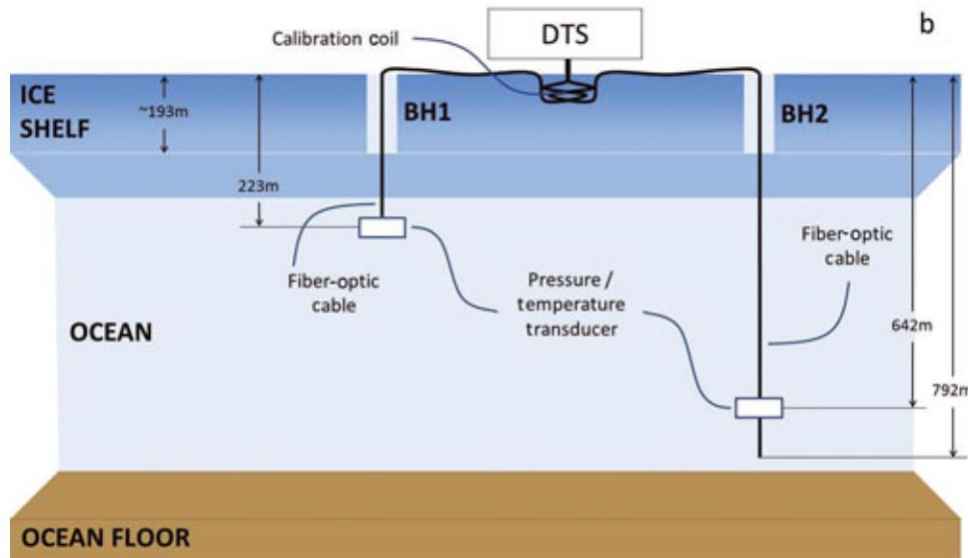


$$\eta_* = \left(1 + \frac{\xi_N u_*}{f L_O R_c} \right)^{-1/2},$$



Observations: Tyler et al. (2013)

- **McMurdo Ice Shelf**
- **distributed temperature sensor (DTS)**



Tyler et al. (2013). Using distributed temperature sensors to monitor an Antarctic ice shelf and sub-ice-shelf cavity. *Journal of Glaciology*, 59(215), 583–591.